## **A DEFINITION**

Definition Positive and Negative Numbers

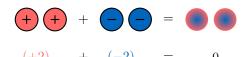
• Positive numbers are  $+1, +2, \ldots$  We write them with a positive sign (+) before the number:

+2 = + +

• Negative numbers are  $-1, -2, \ldots$  We write them with a negative sign (-) before the number:

 $-3 = \bigcirc \bigcirc \bigcirc$ 

• Positive numbers are the opposite of negative numbers:



-2 is the opposite of +2.

• Integer numbers are positive numbers, negative numbers, and zero :

 $\ldots, -3, -2, -1, 0, +1, +2, +3, \ldots$ 

• Positive numbers can be written with or without a positive sign (+) in front of the number:

1 = +1 = +

- To avoid confusion between the sign of the number and the sign of the operation, we can use parentheses. For example, +1 + -2 becomes (+1) + (-2).
- 0 is neither positive nor negative.

**Ex:** Calculate (+1) + (-2).

Answer:

+ + - = -

• So, (+1) + (-2) = -1.

Definition Absolute Value -

The absolute value of a number is the number without its sign.

- The absolute value of  $+2 = \bullet \bullet$  is 2.
- The absolute value of  $-3 = \bigcirc \bigcirc$  is 3.

## **B RULES OF ADDITION**

Method Rules of Addition

• When you add two positive numbers, add their absolute values. The sum is also a positive number.

$$(+2) + (+7) = +9$$
 as  $2 + 7 = 9$ 

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• When you add two negative numbers, add their absolute values. The sum is also a negative number.

$$(-5) + (-10) = -15$$
 as  $5 + 10 = 15$ 

• When you add a **positive number** and a **negative number**, subtract the smaller absolute value from the larger one and use the sign of the number with the larger absolute value.

$$(+2) + (-6) = -4$$
 as  $6 - 2 = 4$ 

$$= -4$$

**Ex:** Calculate (-10) + (+3)

Answer:

• 
$$(-10) + (+3) = -7$$
 as  $10 - 3 = 7$ 



# C SUBTRACTION

Definition Subtraction

Subtracting a number is adding its opposite.

**Ex:** Convert the subtraction into addition: (+4) - (+2)

Answer:

$$\bullet$$
 (+4) - (+2) = (+4) + (-2)

Ex: Calculate (+4) - (-2)

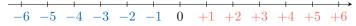
Answer:

$$(+4) - (-2) = (+4) + (+2)$$
 (add the opposite)  
=  $+6$  (same sign: add the absolute values)

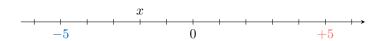
# D ON THE NUMBER LINE

Definition Number line

A number line is a straight line with markings at equal intervals to denote the numbers.



**Ex:** Find the value of x.



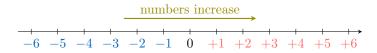
Answer:

• So, x = -2.

#### **E ORDERING**

Method Compare two numbers -

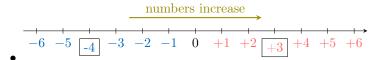
- When one number is **positive** and the other is **negative**, the positive number is **greater**.
- When both numbers are **negative**, the number closer to zero is **greater** (the number with the smaller absolute value is greater).
- When both numbers are **positive**, the number further from zero is **greater** (the number with the greater absolute value is greater).



Ex: Compare -4 and +3

Answer:

• As +3 is positive and -4 is negative, the positive number is greater than the negative number: -4 < +3



# **F MULTIPLICATION**

Definition Multiplication —

- $(+) \times (+) = (+)$ : a positive times a positive gives a positive.
- $(+) \times (-) = (-)$ : a positive times a negative gives a negative.
- $(-) \times (+) = (-)$ : a negative times a positive gives a negative.
- $(-) \times (-) = (+)$ : a negative times a negative gives a positive.

Ex: Calculate  $(+2) \times (-5)$ 

Answer:  $(+2) \times (-5) = -10$  as  $(+) \times (-) = (-)$ 

### **G DIVISION**

Definition **Division** 

- $(+) \div (+) = (+)$ :a positive divided by a positive gives a positive.
- $(+) \div (-) = (-)$ : a positive divided by a negative gives a negative.
- $(-) \div (+) = (-)$ : a negative divided by a positive gives a negative.
- $(-) \div (-) = (+)$ : a negative divided by a negative gives a positive.

Ex: Calculate  $(+10) \div (-5)$ 

Answer: 
$$(+10) \div (-5) = -2$$
 as  $(+) \div (-) = (-)$